

CSE 250

Data Structures

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Day 08
Collections, Sequences and ADTs
Textbook Ch. 7.1, 1.7.2

Announcements

- PA1 deadline extended to Monday
- PA1 #4 grading error was resolved
 - Any final submissions today will receive maximum bonus points

Sequences (what are they?)

- Examples

Fibonacci Sequence: 1, 1, 2, 3, 5, 8, 13, 21, 34, ...

Characters in a String: 'H', 'e', 'l', 'l', 'o', ' ', 'W', 'o', 'r', 'l', 'd'

Lines in a File

People in a queue

Sequences (what are they?)

- Examples

Fibonacci Sequence: 1, 1, 2, 3, 5, 8, 13, 21, 34, ...

Characters in a String: 'H', 'e', 'l', 'l', 'o', ' ', 'W', 'o', 'r', 'l', 'd'

Lines in a File

People in a queue

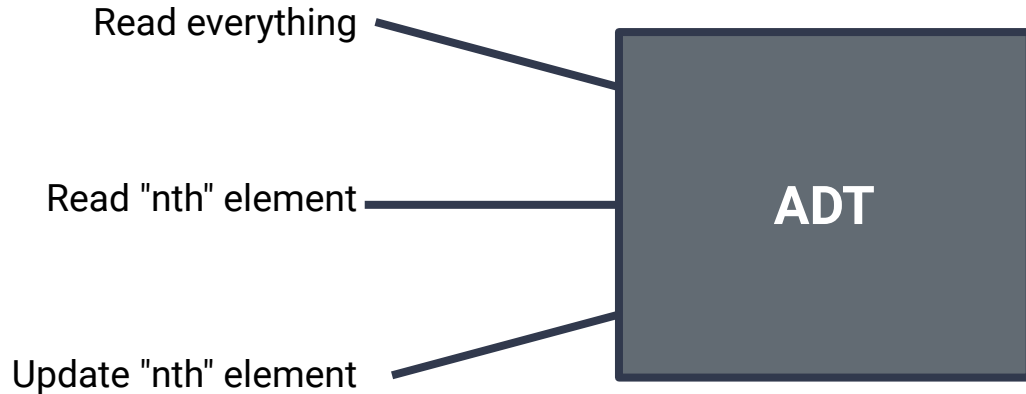
An "ordered" collection of elements

Sequences (what can you do with them?)

- Enumerate every element in sequence
 - ie: print out every element, sum every element
- Get the "nth" element
 - ie: what is the first element? what is the 42nd element?
- Modify the "nth" element
 - ie: set the first element to x, set the third element to y

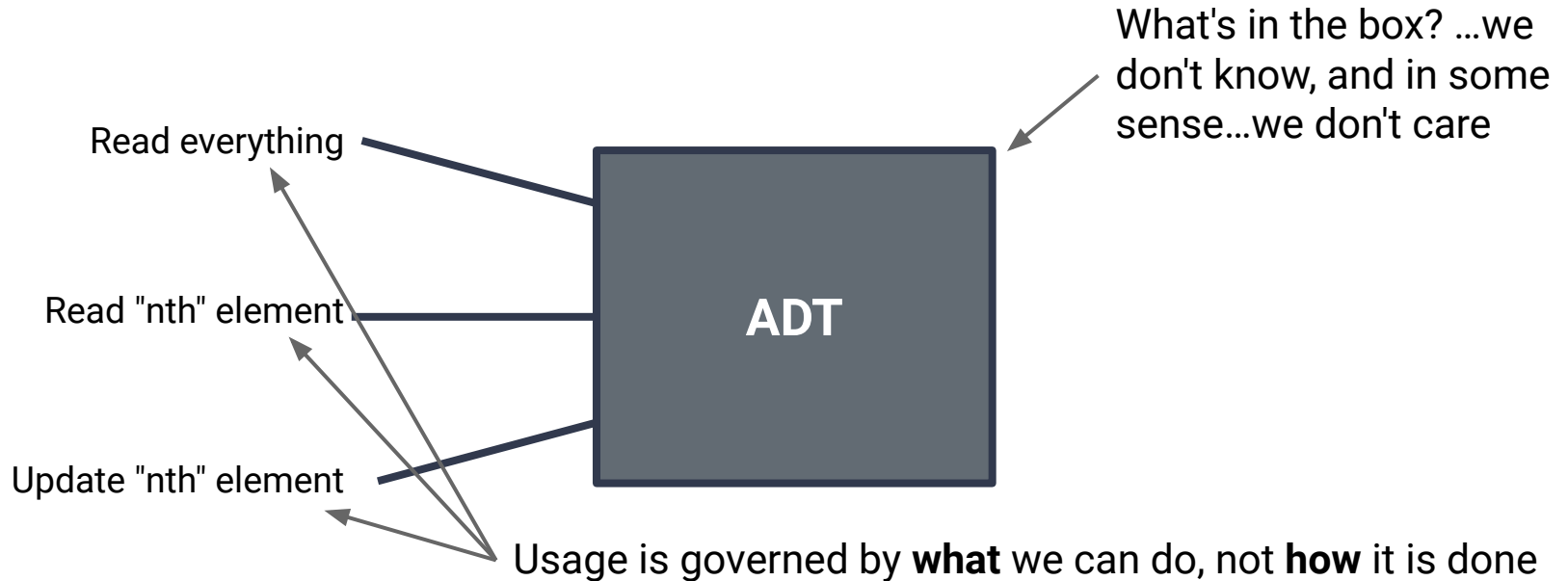
Abstract Data Types (ADTs)

- The specification of what a data structure can do



Abstract Data Types (ADTs)

- The specification of what a data structure can do



The Seq ADT

`apply(idx: Int): [A]`

Get the element (of type **A**) at position **idx**

`iterator: Iterator[A]`

Get access to view all elements in the sequence, in order, once

`length: Int`

Count the number of elements in the seq

The mutable .Seq ADT

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`length: Int`

Count the number of elements in the seq

`insert(idx: Int, elem: A): Unit`

Insert an element at position `idx` with value `elem`

`remove(idx: Int): A`

Remove the element at position `idx`, and return the removed value

So...what's in the box?
(how do we implement it)

A Brief Aside on RAM (220 crossover)



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01001000 01100101 01101100 01101100
01101111...

A Brief Aside on RAM (220 crossover)



01001000 01100101 01101100 01101100
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H

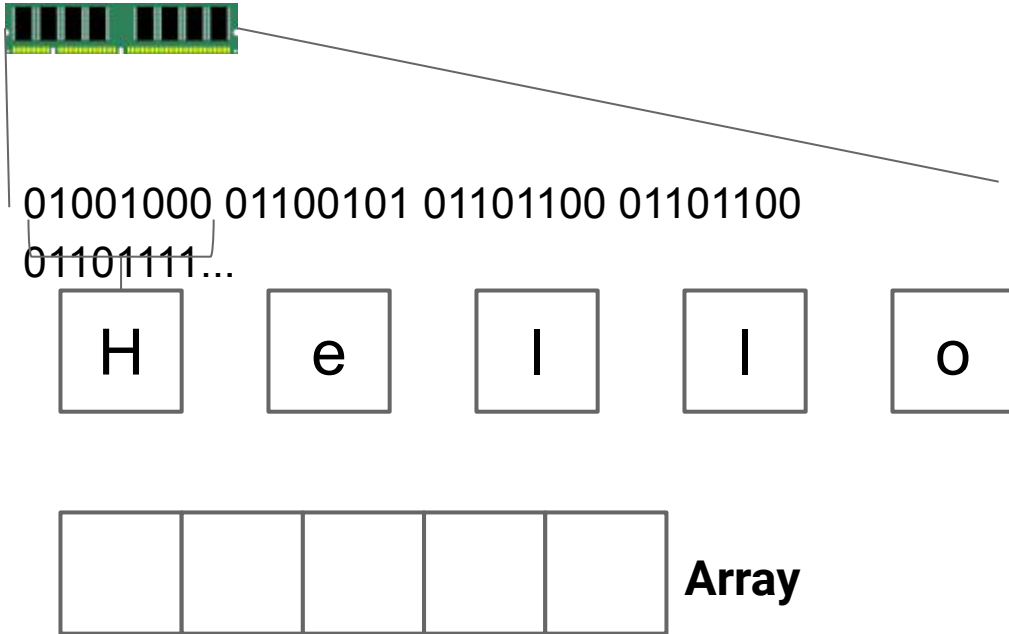
e

l

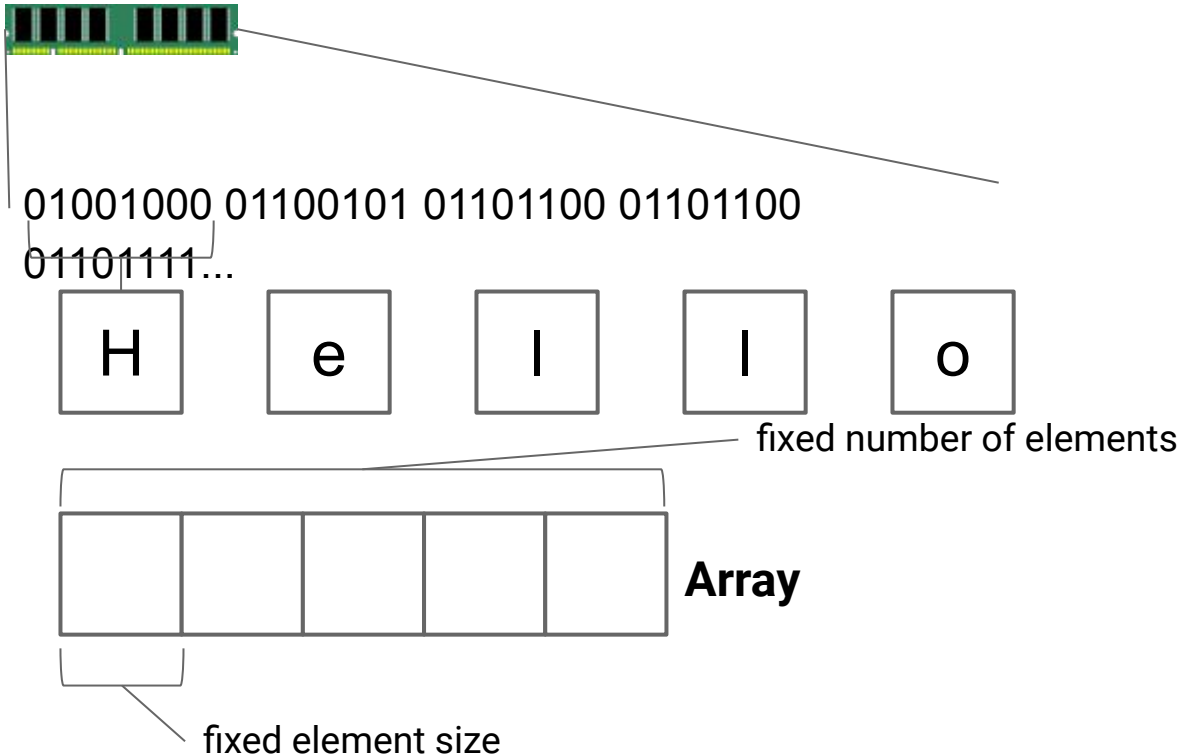
l

o

A Brief Aside on RAM (220 crossover)



A Brief Aside on RAM (220 crossover)



RAM

`new T ()`

Go find some unused part of memory that is big enough to fit a \mathbb{T} , mark it as used, and return the ***address*** of that location in memory.

RAM

`new T ()`

Go find some unused part of memory that is big enough to fit a `T`, mark it as used, and return the **address** of that location in memory.

```
var arr = new Array[Int] (50)
```

The above code allocates $50 * 4 = 200$ bytes of memory (a single Scala `Int` takes of 4 bytes in memory)

Element Access

```
var arr = new Array[Int](50)
```

If `arr` is at address `a`, where should you look for `arr(19)`?

Element Access

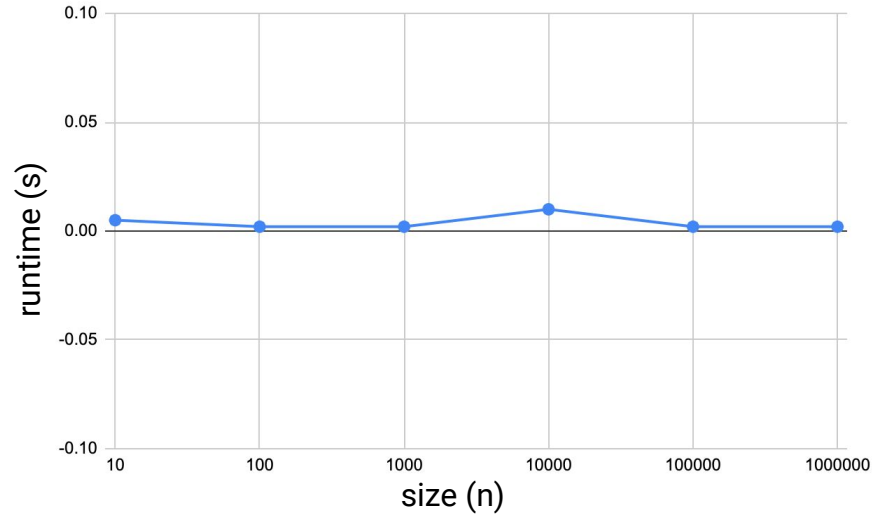
```
var arr = new Array[Int](50)
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If `arr` is at address a , where should you look for `arr(19)`?

- $a + 19 * 4$ (a constant number of steps to compute...)

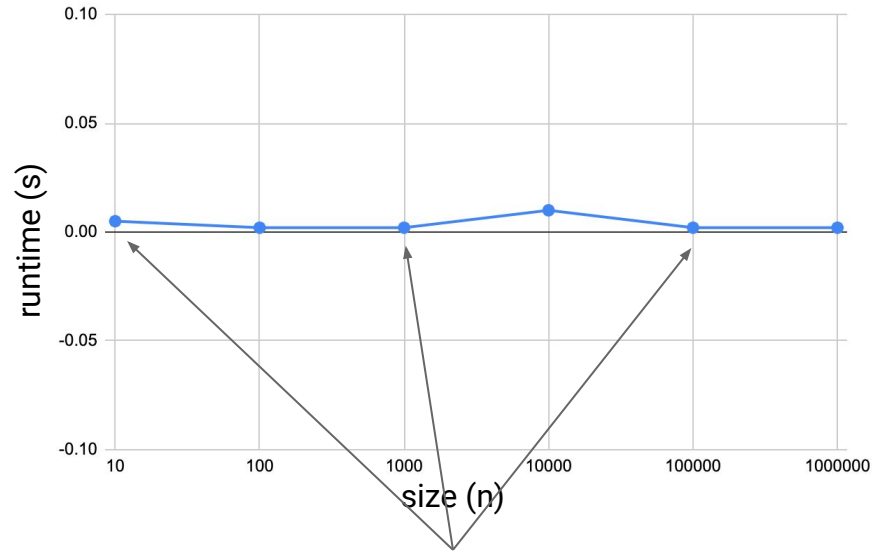
Random Access for an Array (Lecture 04)

Array



Random Access for an Array (Lecture 04)

Array



Notice how our runtime doesn't depend on the size of the array

Element Access

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What about `a(55)`?

Element Access

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var arr = new Array[Int](50)
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If `arr` is at address a , where should you look for `arr(19)`?

- $a + 19 * 4$ (a constant number of steps to compute...)

What about `a(55)`?

- $a + 55 * 4$...but that memory was not reserved for this array.
- Scala will prevent you from accessing an *out of bounds* element

Array [T] : Seq [T]

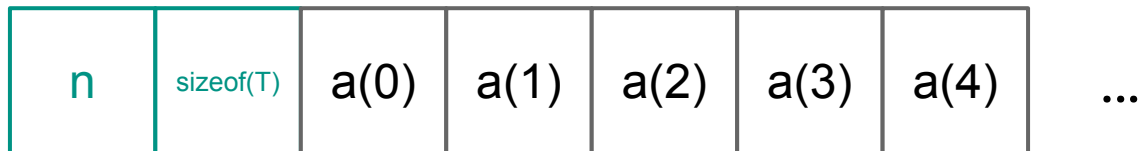
What does an **Array** of n items of type **T** actually look like?

- 4 bytes for n (optional)
- 4 bytes for `sizeof (T)` (optional)
- $n * \text{sizeof (T)}$ bytes for the data

Array [T] : Seq [T]

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Array[T] : Seq[T]

Given the structure of an **Array**, how would we implement the methods of the **Seq** ADT:

apply(idx: Int): [A]

Get the element (of type **A**) at position **idx**

length: Int

Count the number of elements in the seq

insert(idx: Int, elem: A): Unit

Insert an element at position **idx** with value **elem**

remove(idx: Int): A

Remove the element at position **idx**, and return the removed value

Array[T] : Seq[T]

Given the structure of an `Array`, how would we implement the methods of the `Seq` ADT:

`apply(idx: Int): [A]`

Get the element (of type `A`) at position `idx`

`length: Int`

Count the number of elements in the seq

*Insert and remove don't
make sense on arrays...*

`insert(idx: Int, elem: A): Unit`

Insert an element at position `idx` with value `elem`

`remove(idx: Int): A`

Remove the element at position `idx`, and return the removed value

How can we make it mutable?

IDEA: What if we reserve extra space?

ArrayBuffer[T] : Buffer[T]

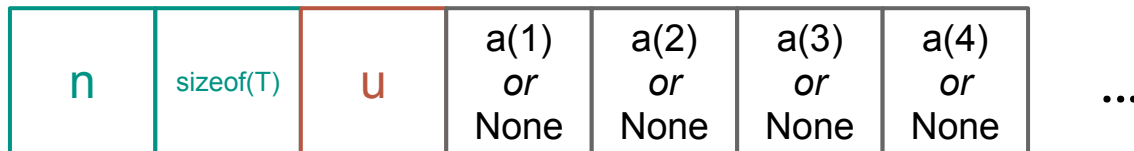
What does an `ArrayBuffer` of n items of type `T` actually look like?

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To be continued...